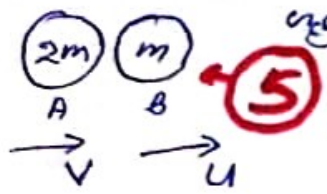
13 ශ්‍රේණිය සඳහා ප්‍රවේශ පරීක්ෂණය - 2026

භෞතික විද්‍යාව - II

කාලය පැය දෙකයි

A - කොටස

(1)



ගුණකය A හි ප්‍රවේගය u බැගෙන යනවා. (5)
ගුණකය සහ A හි ප්‍රවේගය v බැගෙනවා.

ගම්‍යතා සංරක්ෂණ මූලධර්මය යෙදීමෙන්

$2mv + mu = 2mu$ (5)

$v = \frac{u}{2}$

ගැටීම් සංගුණකය යෙදීමෙන්

~~$mu - 2mv$~~

$v - u = -e(u - 0)$ (5)

$\frac{u}{2} - u = -eu$

$e = \frac{1}{2}$

ගැටීමෙන් පසු ගතික ශක්තිය $= \frac{1}{2} \cdot 2m \cdot u^2 - \frac{1}{2} \cdot 2m \cdot \frac{u^2}{4} - \frac{1}{2} mu^2$ (5)

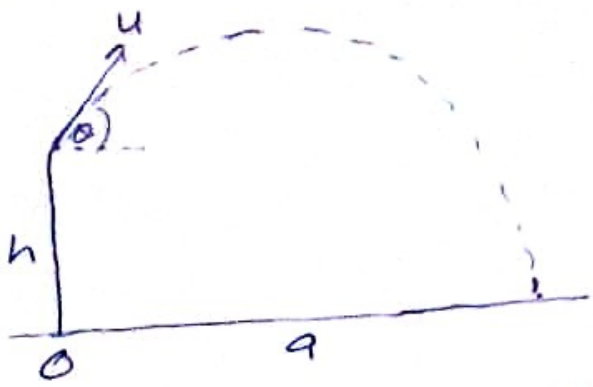
$= \frac{1}{2} mu^2 (2 - \frac{1}{2} - 1)$

$= \frac{1}{2} mu^2 \cdot \frac{1}{2}$

$=$ (ගැටීමෙන් පසු B හි ගතික ශක්තිය) $\cdot \frac{1}{2}$ (5)

25

(2)



$s = ut + \frac{1}{2}at^2$

$\rightarrow$

$a = u\cos\theta \cdot t + 0$

$t = \frac{a}{u\cos\theta}$ (5)

$\uparrow$

$-h = u\sin\theta \cdot \frac{a}{u\cos\theta} - \frac{1}{2}g \cdot \frac{a^2}{u^2\cos^2\theta}$ (5)

$-h = a\tan\theta - \frac{ga^2}{2u^2}(1+\tan^2\theta)$ (5)

$-\frac{2u^2h}{ga^2} = \frac{2u^2}{ga}\tan\theta - 1 - \tan^2\theta$

$\tan^2\theta - \frac{2u^2}{ga}\tan\theta + 1 - \frac{2u^2h}{ga^2} = 0$ //

θ සඳහා වූ හාත්පස ගුණෝත්තර ප්‍රමේයය θ_1 හා θ_2 $\tan\theta_1$ හා $\tan\theta_2$ සම්බන්ධව ලියා දක්වීම.

$\tan\theta_1 + \tan\theta_2 = \frac{2u^2}{ga}$ (5) //

25

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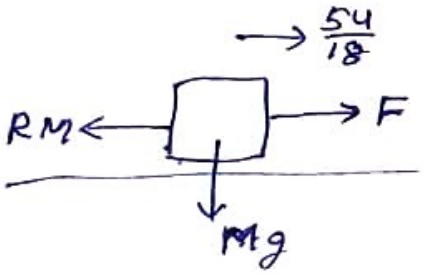
(3)



$F = ma \rightarrow$

$F - RM = M \cdot 0$

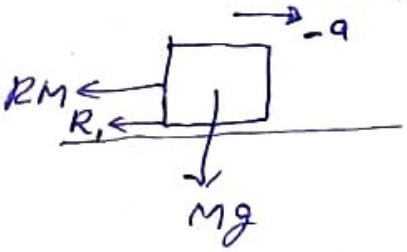
$F = RM$ (5)

$H = PV$

$1000P = RM \cdot \frac{54}{18}$ (5)

$\frac{3600P}{MU} = R$

$4\,kmh^{-1} = \frac{4 \times 1000}{3600} = \frac{54}{18}\,ms^{-1}$ (5)



$\rightarrow F = ma$

$-R_1 - MR = M(-a)$

$a = \frac{R_1 + MR}{M}$ (5)

$\rightarrow v^2 = u^2 + 2as$

$0 = \frac{25u^2}{324} - 2 \cdot 5\left(\frac{R_1 + MR}{M}\right)$

$R_1 = \frac{54^2M}{648} - \frac{3600P}{U}$ (5)

25

(4)

$\theta = \omega t$

$2\pi n = \omega \cdot 1$ (5)

$\omega = 2\pi n$

$\leftarrow F = ma$

$T = m(l+e)\omega^2$ (5)

$\frac{ae}{l} = m(l+e)4\pi^2n^2$

$(a - 4\pi^2n^2l^2m)e = 4\pi^2n^2l^2m$ (5)

$e = \frac{4\pi^2n^2l^2m}{a - 4\pi^2n^2ml}$

$T = a\frac{e}{l}$

$= \frac{a}{l} \cdot \frac{4\pi^2n^2l^2m}{a - 4\pi^2n^2ml}$ (5)

$T = \frac{4\pi^2n^2lma}{a - 4\pi^2n^2ml}$ (5)

25

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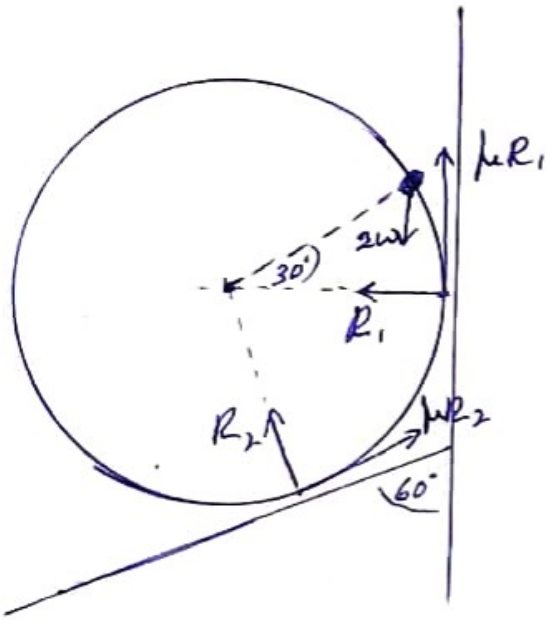
(5)



$\rightarrow$

$\mu R_2 \cdot \frac{\sqrt{3}}{2} - R_2 \cdot \frac{1}{2} - R_1 = 0$ (5) (1)

$R_2(\sqrt{3}\mu - 1) = 2R_1$

$\uparrow \mu R_1 - 2\omega + R_2\frac{\sqrt{3}}{2} + \mu R_2 \cdot \frac{1}{2} = 0$

$2\mu R_1 + R_2(\sqrt{3} + \mu) = 4\omega$ (5) (2)

$\mu R_2(\sqrt{3}\mu - 1) + R_2(\sqrt{3} + \mu) = 4\omega$

$R_2(\sqrt{3}\mu^2 + \sqrt{3}) = 4\omega$

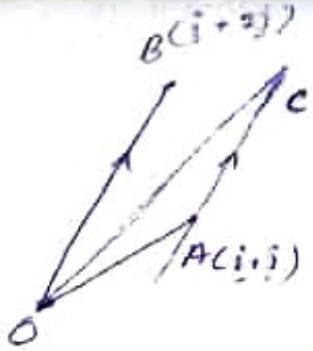
$R_2 = \frac{4\omega}{\sqrt{3}(\mu^2+1)}$ (5)

(1) $\Rightarrow 2R_1 = \frac{4\omega}{\sqrt{3}(\mu^2+1)} \cdot (\sqrt{3}\mu - 1)$ (5)

$R_1 = \frac{2\omega(\sqrt{3}\mu - 1)}{\sqrt{3}(\mu^2+1)}$ (5)

25

(6)



$\overrightarrow{AB} = i + 2j - (i + j)$

$= j$ (5)

$\overrightarrow{AC} = a\overrightarrow{OB} = ai + 2aj$

$\overrightarrow{OC} = \overrightarrow{OA} + \overrightarrow{AC}$

$= i + j + ai + 2aj$ (5)

$= (1+a)i + (1+2a)j$

$\overrightarrow{CB} = \overrightarrow{CO} + \overrightarrow{OB}$

$= -(1+a)i - (1+2a)j + i + 2j$

$= -ai + (1-2a)j$

$\overrightarrow{OC} = \frac{7}{5}i + \frac{9}{5}j$ (5)

AC ⊥ CB නම්

$\overrightarrow{AC} \cdot \overrightarrow{CB} = 0$ (5)

$(ai + 2aj) \cdot (-ai + (1-2a)j) = 0$

$-a^2 + 2a(1-2a) = 0$

$-5a^2 + 2a = 0$

C හා A වෙනස් නිසා $a \neq 0$ වේගය නොගත හැක.

$a = 2/5$ (5)

25

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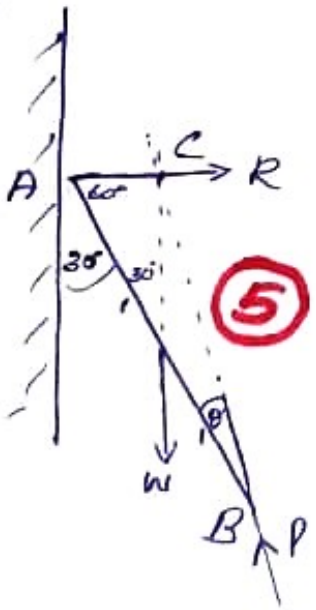
(7)



(5)

දිශාව AC දිගේ වරහන් ගෙවුවහොත් බලවලින් ඇතිවන සම්ප්‍රයුක්තය නිසා සම්ප්‍රයුක්තය මගින් බලය නිරූපණය කරයි.

P හා දිශාව සාදන කෝණය θ නම්

ABC Δ හි Cot යෙදීමෙන් (5)

වෙනම බලා

$\cot\theta - \cot 60° = 2\cot 30°$

$\cot\theta = 2\sqrt{3} + \frac{1}{\sqrt{3}}$

$\cot\theta = \frac{7}{\sqrt{3}}$ (5)

$\tan\theta = \sqrt{3}/7$

$\theta = \tan^{-1}\sqrt{3}/7$ //

$A\uparrow = 0$

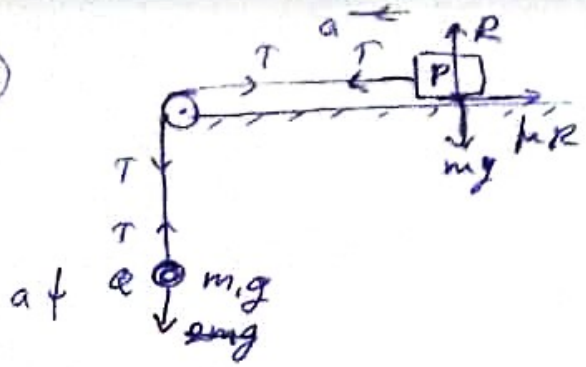
$P.2\sin\theta - W.\sin 30 = 0$ (5)

$2P.\frac{\sqrt{3}}{\sqrt{52}} - \frac{W}{2} = 0$

$P = \frac{\sqrt{13}\,W}{2\sqrt{3}}$ // (5)

25

(8)



$T = \frac{2mg(\mu+1)}{3}$

P ↑ $F = ma$

$R - mg = m(0)$ (5)

$R = mg$

P → $T - \mu R = ma$ — (1) P ↓ $m_1 g - T = m_1 a$ — (2) (5)

(1)/(2) $\frac{\frac{2mg(\mu+1)}{3} - \mu mg}{m_1 g - \frac{2mg(\mu+1)}{3}} = \frac{m}{m_1}$ (5) T ඉවත්කිරීම (5)

$\frac{2g(\mu+1) - 3g\mu}{3m_1 g - 2mg(\mu+1)} = \frac{1}{m_1}$

$m_1(2-\mu) = 3m_1 - 2m(\mu+1)$

$-m_1(\mu+1) = -2m(\mu+1)$

$m_1 = 2m$ // (5)

25

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(9) අදාළ සිදුවීම වීම A නම් $P(A) = \frac{15}{100} = \frac{3}{20}$ (5)

නොවන සාධාරණ B නම් $P(B) = \frac{30}{100} = \frac{3}{10}$ (5)

$P(A \cap B) = \frac{6}{100} = \frac{3}{50}$ (5)

$P(A/B) = \frac{P(A \cap B)}{P(B)}$

$= \frac{3/50}{3/10} = \frac{1}{5}$ // (5)

$P(A \cup B) = P(A) + P(B) - P(A \cap B)$

$= \frac{3}{20} + \frac{3}{10} - \frac{3}{50}$

$= \frac{39}{100}$ // (5)

25

(10) a b c d e f

$\frac{c+d}{2} = 5$ $f = 8$ $a = 2$ (5)

$c + d = 10$ (5)

මෙතැන 5 වලින් $c = 5$ හා $d = 5$ විය හැක (5)

2, b, 5, 5, e, 8

$b = 3$ හෝ 4 සහ $e = 6$ හෝ 7 විය හැක

2, 3, 5, 5, 6, 8 වන අවස්ථාව සලකන්න.

(1) — 2, 3, 5, 5, 7, 8 වන විකල්ප 5 ක් (5)

$b = 4$ හා $e = 6$ වේ. ඒ සලකන්න

ඉතිරි කොටස් විසඳන්න.

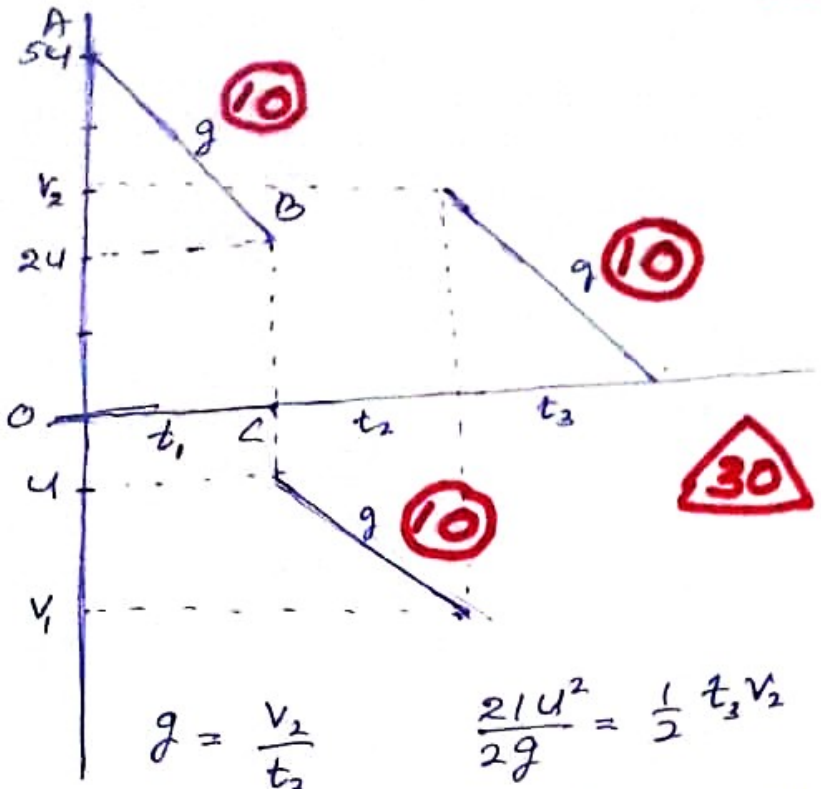
(1) මධ්‍යන්‍යය $\frac{9 + 4 + 0 + 0 + 4 + 9}{6} = \frac{26}{6} = 13/3$ (5)

අරමුණ 6

2, 3, 5, 5, 7, 8 ලේ

25

(11) (a)



5 පළමු $e = \frac{1}{2}$

(ඇතැම් ප්‍රශ්නවලට මේ ප්‍රතිඵලය යොදා ගැනීමට හැකි වන පරිදි)

$g = \frac{34}{t_1}$

$t_1 = \frac{34}{g}$ 5

සමලම්බ රූප = OABCD හි

$= \frac{1}{2} \cdot 74 \cdot \frac{34}{g}$

$= \frac{214^2}{2g}$ 5

15

$g = \frac{V_2}{t_3}$

$t_3 = \frac{V_2}{g}$ 5

$\frac{214^2}{2g} = \frac{1}{2} t_3 V_2$

$\frac{214^2}{2g} = \frac{1}{2} t_3 g t_3$ 5

$t_3 = \frac{\sqrt{21}4}{g}$

10

නිවැරදි වේග සංඝටක ප්‍රකාශනය ඇසුරින් ප්‍රත්‍යාස්ථතා පරාංකය e සඳහා

$V_2 = e V_1$

$g t_3 = e V_1$

$g \cdot \frac{\sqrt{21}4}{g} = e V_1$ 5

$e = \frac{\sqrt{21}4}{V_1}$

$g = \frac{V_1 - 4}{t_2}$

$t_2 = \frac{V_1 - 4}{g}$ 5

$\frac{214^2}{2g} = \frac{1}{2}(V_1 + 4)\frac{(V_1 - 4)}{g}$

$\frac{214^2}{2g} = \frac{V_1^2 - 4^2}{2g}$ 5

$224^2 = V_1^2$

$e = \frac{\sqrt{21}4}{\sqrt{224}}$

20

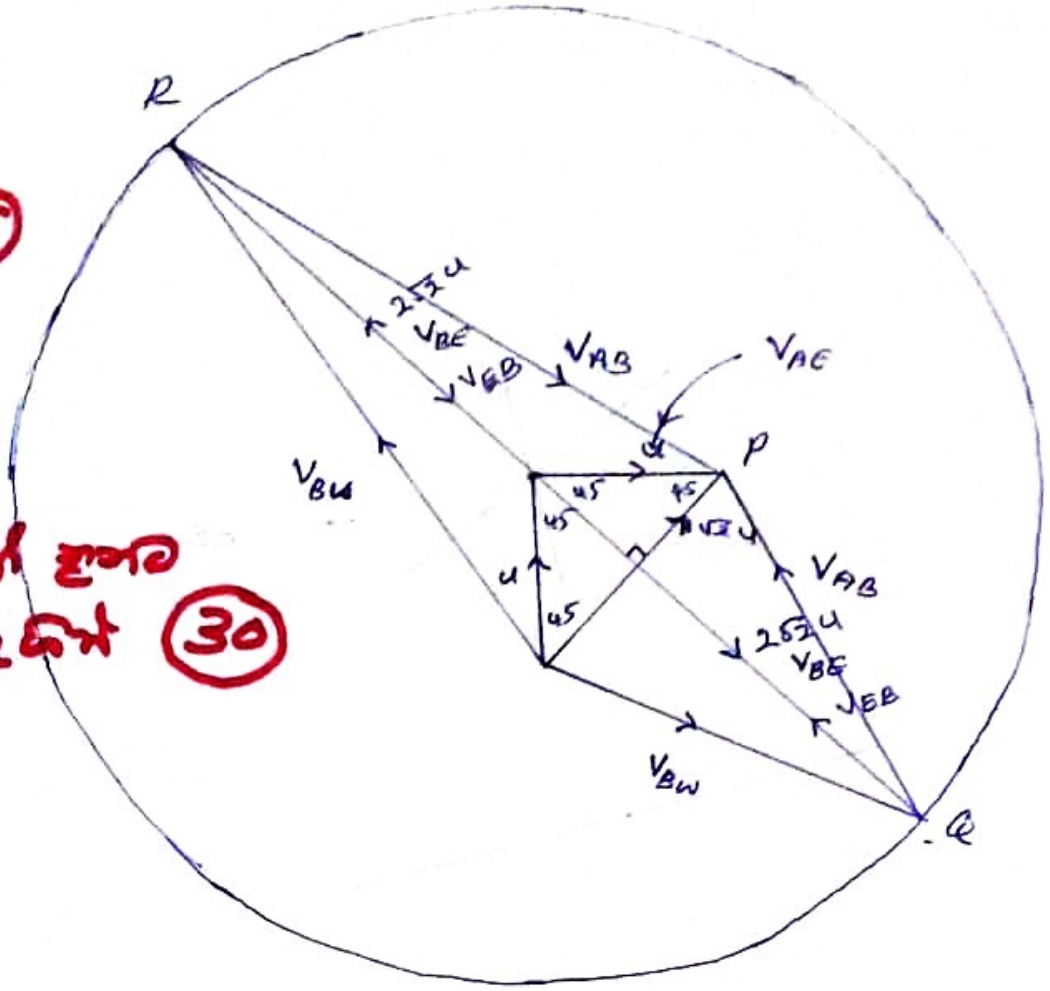
$e = \frac{\sqrt{21}}{\sqrt{22}}$ 5

11 (b)

$V_{AE} = \rightarrow u$

$V_{BE} = 2\sqrt{2}u$ (5)

$V_{WE} = \downarrow u$



চিত্রটি ভুল
10 নম্বর (30)

$V_{AW} = V_{AE} + V_{EW}$

$= \rightarrow u + \uparrow u$ (5)

$V_{BW} = V_{BE} + V_{EW}$

$= 2\sqrt{2}u + \uparrow u$ (5)

B এর দ্বিতীয় স্থান
প্রথম চিত্রের ন্যায় বিবেচনা
করিয়া

$V_{AW} = \sqrt{2}u$ // (5)

$V_{AB} = V_{AE} + V_{EB}$ (5)

$V_{AB} = \overrightarrow{QP}$

$= \left[(2\sqrt{2}u)^2 + u^2 - 2 \cdot 2\sqrt{2}u \cdot u \cdot \cos 45^\circ\right]^{1/2}$

$= (9u^2 - 4u^2)^{1/2}$ (10)

$= \sqrt{5}u$ //

$V_{AB} = \overrightarrow{RP}$

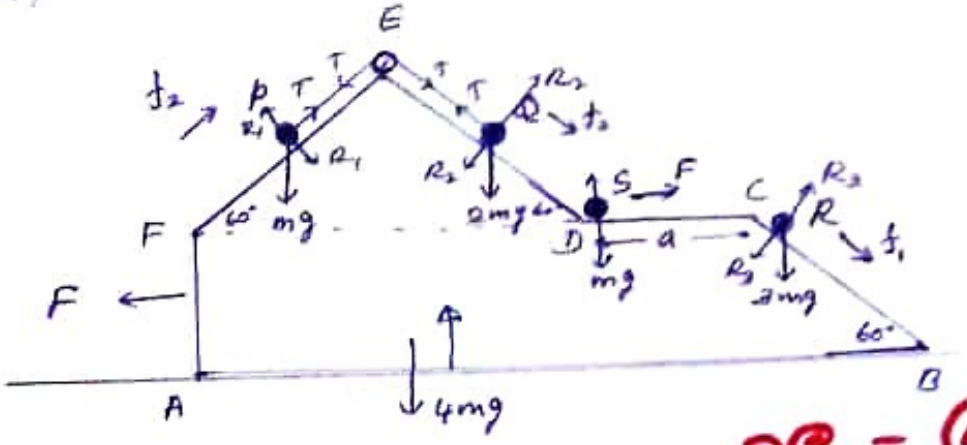
$= \left[(2\sqrt{2}u)^2 + u^2 - 2 \cdot 2\sqrt{2}u \cdot u \cdot \cos 135^\circ\right]^{1/2}$

$= (9u^2 + 4u^2)^{1/2}$ (10)

$= \sqrt{13}u$ //

75 | 150

(12) (a)



අඩු - (10)
ඉහළට - (10)

$F = ma$ යෙදීමෙන්

P වට ↗ $T - mg\frac{\sqrt{3}}{2} = m(f_2 - \frac{F}{2})$ —(1) (5) (5)

Q වට ↘ $2mg \cdot \frac{\sqrt{3}}{2} - T = 2m(f_2 - \frac{F}{2})$ —(2) (5) (5)

R වට ↘ $3mg \cdot \frac{\sqrt{3}}{2} = 3m(f_1 - \frac{F}{2})$ —(3) (5) (5)

තිරස්ව ← $0 = 4mF + m(F - f_2/2) + 2m(F - f_2/2) + 3m(F - f_1/2)$ —(4) (5) (5) (5)

S දක්වා තුවක්කුව කාරකව a වූ ඒකක ත්වරණය ඇති වූවාය
ඉන්පසු කාරකව a ඒකක ත්වරණය ඇති.

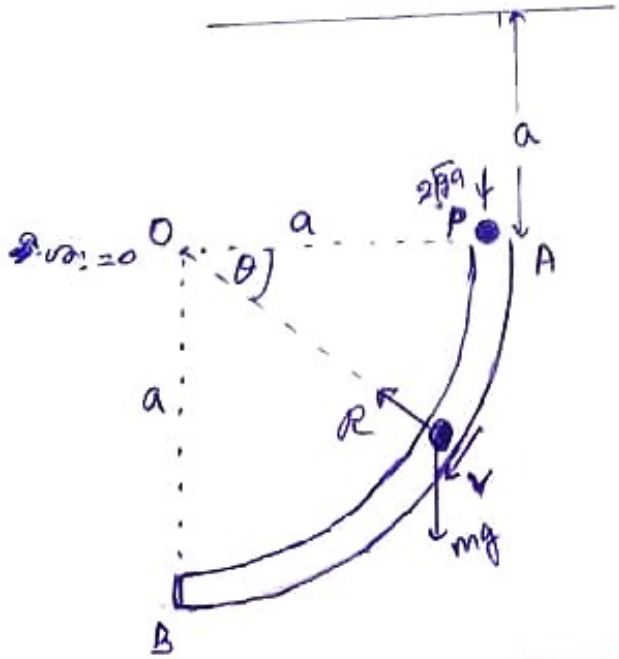
තුවක්කුව ← $S = ut + \frac{1}{2}at^2$ (5)

$a = \frac{1}{2}Ft^2$

R වට ↘ $S = \frac{1}{2} \cdot f_1 \cdot \frac{2a}{F}$ (5)

(25)

(b)



ශ: ස. ශක්තිවලින්

$\frac{1}{2}mV^2 - mg \cdot a\sin\theta = \frac{1}{2}m \cdot 4ga + 0$ (5) (5)

$V^2 = 2ga(2 + \sin\theta)$

$F = ma$

$R - mg\sin\theta = \frac{m}{a} \cdot 2ga(2 + \sin\theta)$ (5)

$R = mg(4 + 3\sin\theta)$ (5)

20

$\theta = \pi/2$ නම් වේගය B හිදී ඇති වේගය (5)

එවිට $V^2 = 2ga(2 + \sin \pi/2)$ (5)

$V = \sqrt{6ga}$ (5)

ආඝාත ක්‍රියාවෙන් පසුවන වේගය $\frac{5}{6}\sqrt{6ga} = 5\sqrt{\frac{ga}{6}}$ (5)

ආඝාත ක්‍රියාවෙන් පසු A සහ B වල ප්‍රවේග පිළිවෙලින් B හදිසි වේගය V_1 නම්

$\frac{1}{2}mV_1^2 = \frac{1}{2}m \cdot \frac{25ga}{6} - mga$ (5) (5)

$V_1^2 = \frac{13ga}{6}$ (5)

A හා සම්බන්ධ ගමන

$V^2 = U^2 + 2as$

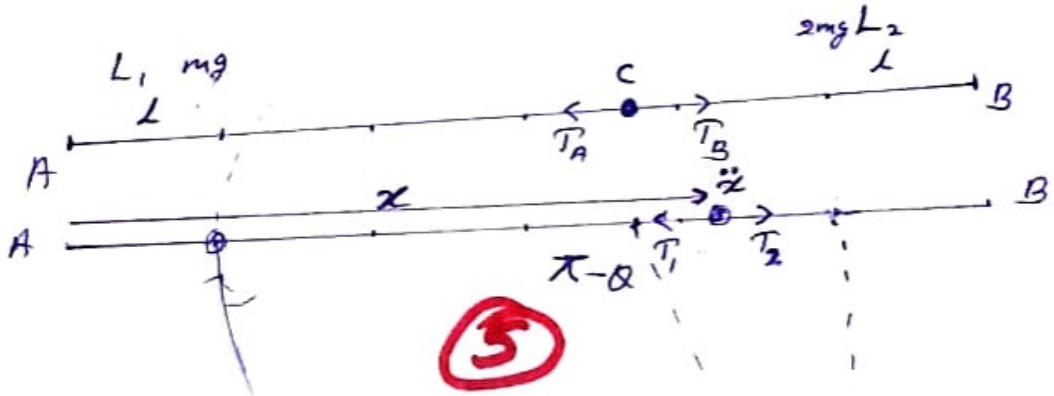
$V^2 = \frac{13ga}{6} - 2ga$ (5)

$V = \sqrt{\frac{ga}{6}}$ (5)

45

150

13



(5)

සමතුලිත වීම

$T_A = T_B$ (5)

$\frac{mg(AC - l)}{l} = \frac{2mg(6l - AC - l)}{l}$ (5) (5)

$3AC = 11l$

$AC = \frac{11l}{3}$ (5)

25

$\rightarrow F = ma$,

$T_2 - T_1 = m\ddot{x}$ (5)

$\frac{2mg(5l - x)}{l} - \frac{mg(x - l)}{l} = m\ddot{x}$ (5) (5)

$-\frac{3g}{l}x + 11g = \ddot{x}$ (5)

$\ddot{x} + \frac{3g}{l}\left(x - \frac{11l}{3}\right) = 0$ //

දෝලන චලිත සමතුලිත තත්ත්වය හරහා වූ සෘජු දුරපත වන සෙයුරුත්ම චලිතයක් (5)

ඵලය වේ. $\ddot{x} = 0$ $x = \frac{11l}{3}$ දෝලන

විස්තාරය යනු ගෝලයේ සිදුවන විශාලතම ඒකාකාර චලිතයේ විස්තාරය වේ. 25

විස්තාරය $\frac{11l}{3} - l = \frac{8l}{3}$ වේ. (5)

$\dot{x}^2 = \omega^2(c^2 - x^2)$

$\dot{x}^2 = \frac{3g}{l}\left(\frac{64l^2}{9} - \frac{16l^2}{9}\right)$ (5)

$\dot{x}^2 = 16lg$

$\dot{x} = 4\sqrt{lg}$ (5)

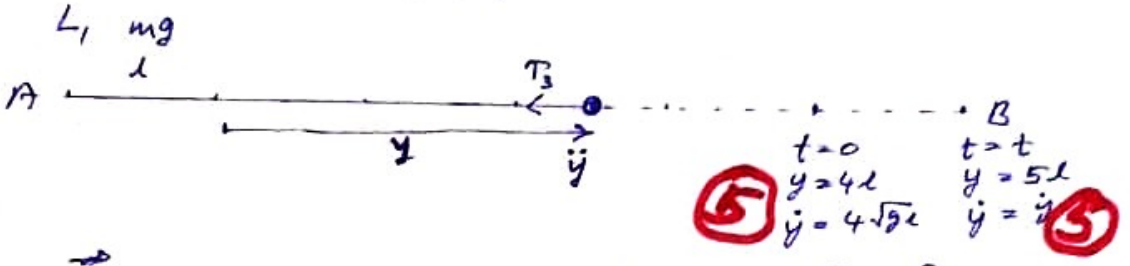
$\cos\theta = \frac{4l/3}{8l/3} = \frac{1}{2}$ (5)

$\theta = \pi/3$ (5)

25

ආවර්ත කාලය $= \frac{\pi - \theta}{\omega}$ (5)

$= \frac{2\pi}{3}\sqrt{\frac{l}{3g}}$ //



(5) (5)

$\rightarrow$

$\Rightarrow F = ma$

$-T_3 = m\ddot{y}$ (5)

$-\frac{mgy}{l} = m\ddot{y}$

$\ddot{y} + \frac{g}{l}y = 0$ (5)

L_2 ට අදාළ සමීකරණය ලිවීම

$\dot{y}^2 = \omega^2(c^2 - y^2)$ (5)

$16lg = \frac{g}{l}(c^2 - 16l^2)$

$c = 4\sqrt{2}l$ (5)

අගේ අග්‍රය $\dot{y} = 0$

$y = 0$ L_1 ට අදාළ

$y = \alpha\cos\omega t + \beta\sin\omega t$ — (1)

$\dot{y} = -\alpha\omega\sin\omega t + \beta\omega\cos\omega t$ — (2) (5)

$\ddot{y} = -\omega^2(\alpha\cos\omega t + \beta\sin\omega t)$ (5)

$\ddot{y} = -\omega^2 y$

$y = -\frac{g}{l}y$

$\omega = \sqrt{\frac{g}{l}}$ (5)

(1) ට

$4l = \alpha$ (5)

(2) ට

$4\sqrt{gl} = \beta\omega$

$4l = \beta$ (5)

$\alpha = \beta$ වේ.

B සඳහා (1) ට

(5) $5l = 4l\cos\omega t + 4l\sin\omega t$

$\frac{5}{4\sqrt{2}} = \cos\omega t\cos\pi/4 +$ (5) $\sin\omega t\sin\pi/4$

(5) $\frac{5}{4\sqrt{2}} = \cos(\omega t - \pi/4)$

$t = \sqrt{\frac{l}{g}}\left[\pi/4 + \cos^{-1}\frac{5}{4\sqrt{2}}\right]$ (5)

75

150

(14) (a)

$\vec{QP} = \vec{QO} + \vec{OP}$

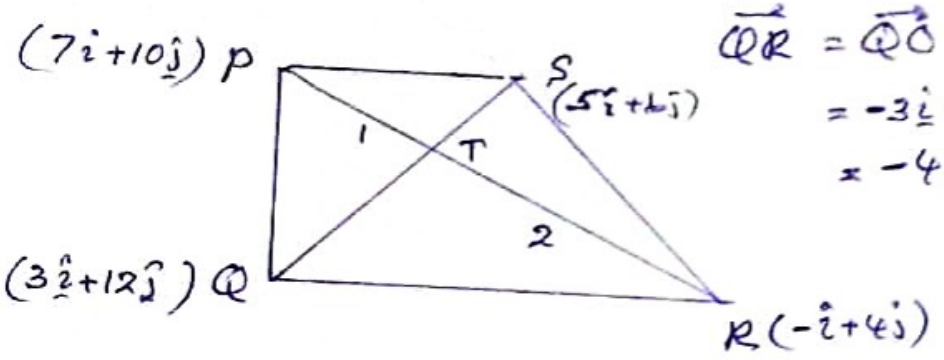
$= -3\underline{i} - 12\underline{j} + 7\underline{i} + 10\underline{j}$

$= 4\underline{i} - 2\underline{j}$ (5)

$\vec{QR} = \vec{QO} + \vec{OR}$

$= -3\underline{i} - 12\underline{j} - \underline{i} + 4\underline{j}$

$= -4\underline{i} - 8\underline{j}$ (5)



$\vec{QP} \cdot \vec{QR} = (4\underline{i} - 2\underline{j}) \cdot (-4\underline{i} - 8\underline{j})$ (5)

$= -16 + 16 = 0$ (5)

QP m QR ලම්බ වේ. (20)

$\vec{OT} = \frac{14\underline{i} + 20\underline{j} - \underline{i} + 4\underline{j}}{3}$

$\vec{OT} = \frac{1}{3}(13\underline{i} + 24\underline{j})$ (5)

$\vec{QT} = -3\underline{i} - 12\underline{j} + \frac{13}{3}\underline{i} + 8\underline{j}$

$= \frac{1}{3}(4\underline{i} - 12\underline{j})$ (5)

$\vec{QS} = \partial \vec{QT} = \frac{\partial}{3}(4\underline{i} - 12\underline{j})$ (5) — (1)

$\vec{QS} = \vec{QP} + \vec{PS} = \vec{QP} + \mu \vec{QR}$ (5)

$= 4\underline{i} - 2\underline{j} + \mu(-4\underline{i} - 8\underline{j})$ — (2) (5)

$i \neq j$ m $i \times j$ වැනි

(1) m (2) න්

(i) $\frac{4\partial}{3} = 4 - 4\mu$ (5)

(j) $-4\partial = -2 - 8\mu$ (5)

$0 = 12 - 12\mu - 2 - 8\mu$

$\mu = 1/2 \quad \partial = \frac{3}{2}$ (5)

$\vec{QS} = \partial \vec{QT}$

$\frac{QS}{QT} = \partial = \frac{3}{2}$ (5)

$QT : TS = 2 : 1$ (5) (30)

$\vec{OS} = \vec{OQ} + \vec{QS}$

$= 3\underline{i} + 12\underline{j} + \frac{1}{2}(4\underline{i} - 12\underline{j})$

$= 5\underline{i} + 6\underline{j}$ (5)

QR // PS බව පෙන්වීම

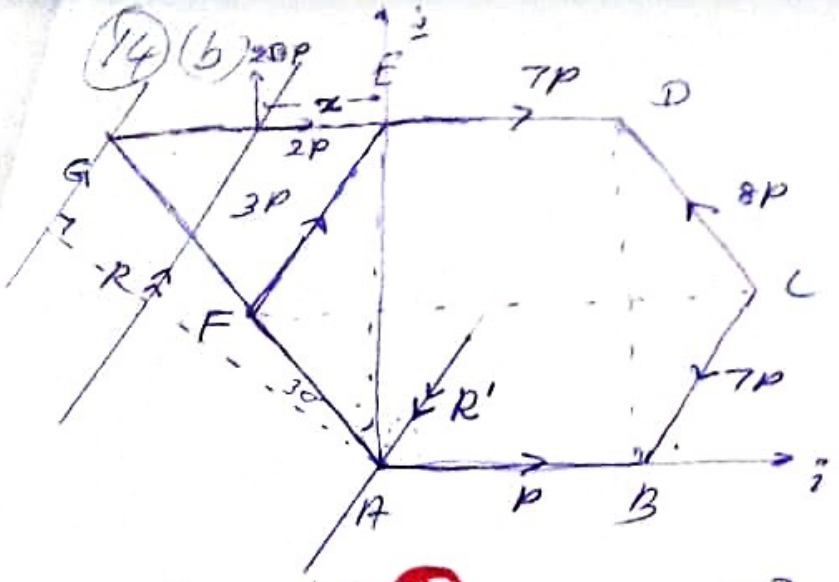
$\vec{RS} = 6\underline{i} + 2\underline{j}$

$\vec{QP} = 4\underline{i} - 2\underline{j}$ බැවින්

RS ∥ QP බැවින් (5)

PQRS ට්‍රපීසියමක් (5) (15)

14 (b)



$\underline{P} = P\underline{i}$ (5)

$7P = -\frac{7P}{2}\underline{i} - \frac{7P.\sqrt{3}}{2}\underline{j}$ (5)

$8P = -\frac{8P}{2}\underline{i} + 8P.\frac{\sqrt{3}}{2}\underline{j}$ (5)

$7P = 7P\underline{i}$ (5)

$3P = \frac{3P}{2}.\underline{i} + 3P.\frac{\sqrt{3}}{2}\underline{j}$ (5) 25

සම්ප්‍රයුක්තය $R = 2P\underline{i} + 2\sqrt{3}P\underline{j}$ (5)

$= 2P(\underline{i} + \sqrt{3}\underline{j})$

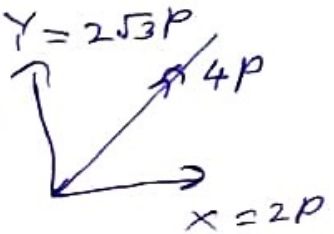
$\rightarrow X = P\underline{i} - \frac{7P}{2}\underline{i} - 4P\underline{i} + 7P\underline{i} + \frac{3P}{2}\underline{i}$

$= 8P\underline{i} - 6P\underline{i}$ (5)

$= 2P\underline{i}$

$\uparrow Y = -\frac{7\sqrt{3}}{2}P\underline{j} + 4\sqrt{3}P\underline{j} + \frac{3\sqrt{3}}{2}P\underline{j}$

$= 2\sqrt{3}P\underline{j}$ (5)



එහිනම් $\tan\alpha = \frac{Y}{X}$

$\tan\alpha = \sqrt{3}$ (5) BC ට සාපේක්ෂව 20

$\alpha = \pi/3$

සමතුලිතව EF ඔස්සේ සංඝටක ගණන්

$2\sqrt{3}Px = (7P.\frac{1}{2} - P)\sqrt{3}q + (7P.\frac{\sqrt{3}}{2} - 8P.\frac{\sqrt{3}}{2})q$ (5)

$2x = \frac{5}{2}q - \frac{q}{2}$

$x = q$ (5)

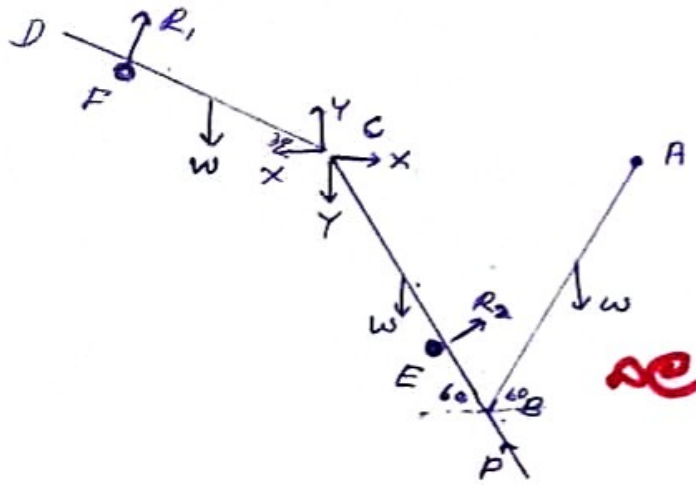
සමතුලිතව ඇති EG = q ගන R සම්පාදියට G හරහා යවමි

$R' = -2P(\underline{i} + \sqrt{3}\underline{j})$ (5)

සම්පාදියේ ක්‍රියා $4P.2q.\frac{\sqrt{3}}{2} = 4\sqrt{3}Pq$ (5) 20

150

(15) (a)



CD ∅ ↻

$W \cdot 2a \cdot \frac{\sqrt{3}}{2} = R_1 \cdot 2a$

$R_1 = \frac{W}{\sqrt{3}}$ (5)

CD ∅

$\rightarrow \quad -X + R_1 \cdot \frac{1}{2} = 0$

$X = \frac{W}{2\sqrt{3}}$ (5)

$\uparrow \quad Y - W + R_1 \cdot \frac{\sqrt{3}}{2} = 0$

$Y - W + \frac{W}{2} = 0$

$Y = \frac{W}{2}$ (5)

$R = \sqrt{\frac{W^2}{12} + \frac{W^2}{4}} = W/\sqrt{3}$

$R = R_1$ ∅ (5)

$\therefore \tan\alpha = \frac{W/2}{W/2\sqrt{3}} = \sqrt{3}$

$\alpha = \pi/3$ (5)

BC ∅ B ↻

$-R_2 \cdot a + W \cdot 2a \cdot \frac{1}{2} + \frac{W}{2} \cdot 4a \cdot \frac{1}{2} - \frac{W}{2\sqrt{3}} \cdot 4a \cdot \frac{\sqrt{3}}{2} = 0$ (10)

$-R_2 + W + W - W = 0$

$R_2 = W$ (5)

ABC ∅ A ↻

$W \cdot 2a \cdot \frac{1}{2} + W\left(4a \cdot \frac{1}{2} + 2a \cdot \frac{1}{2}\right) - P \cdot 4a \cdot \frac{\sqrt{3}}{2} + R_2 \cdot a + Y \cdot \left(4a \cdot \frac{1}{2} + 4a \cdot \frac{1}{2}\right) = 0$ (10)

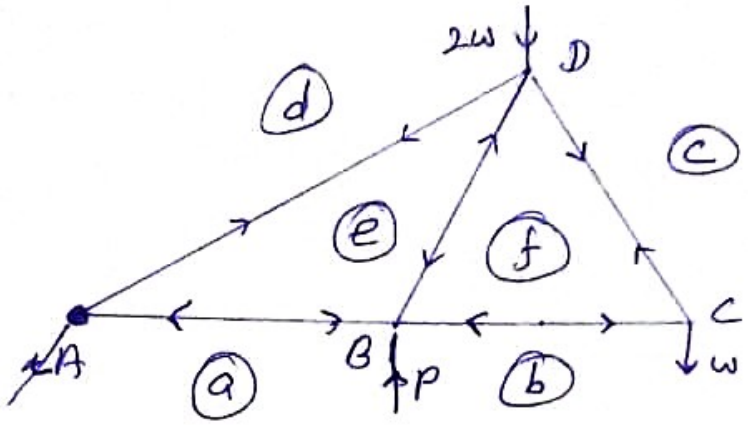
$W + 3W - 2\sqrt{3}P + W + 2W = 0$

$2\sqrt{3}P = 7W$

$P = \frac{7W}{2\sqrt{3}}$ (5)

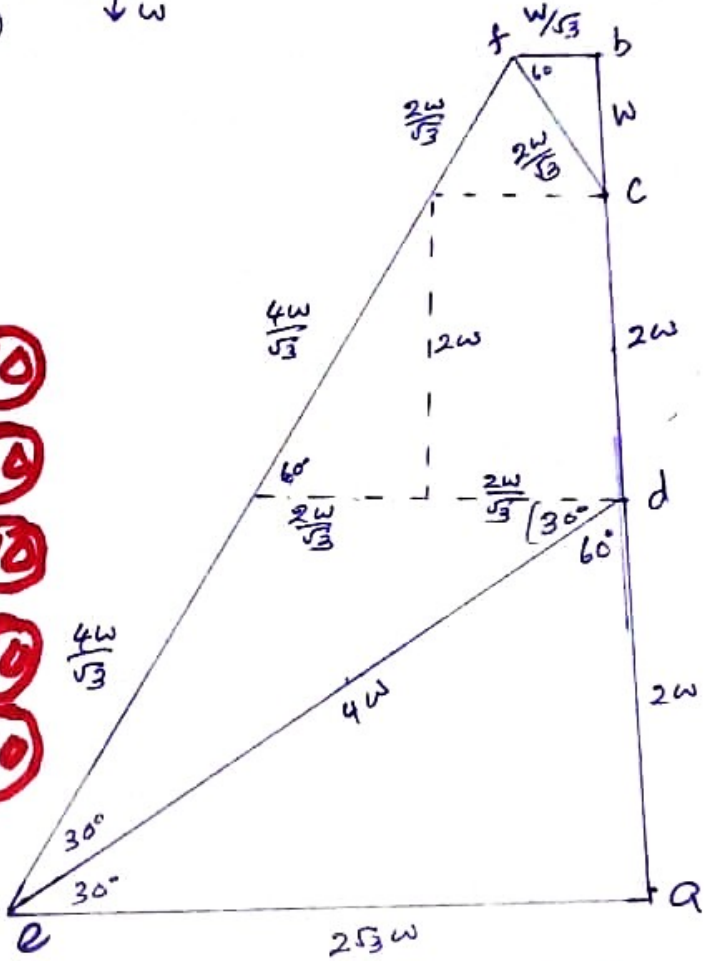
60

(b)



দণ্ড	প্রকৃত প্রকৃতি	
	প্রসারী	অপসারী
AB	×	$2\sqrt{3}W$
BC	×	$W/\sqrt{3}$
CD	$2W/\sqrt{3}$	×
DA	$4W$	×
DB	×	$10W/\sqrt{3}$

(10) (10) (10) (10) (10)



$P = 5W$ (5)

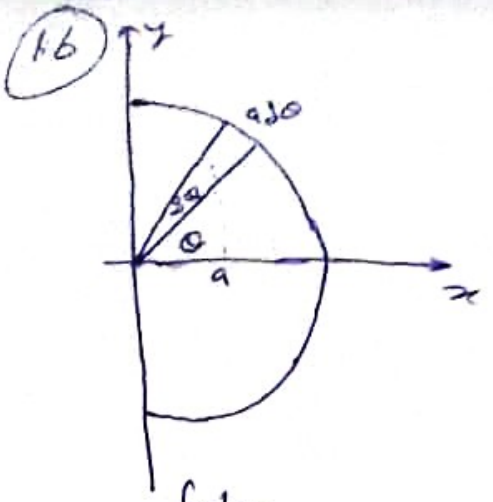
A-র প্রতিক্রিয়া = ↓ $2W$ (5)

B, C, D সঠিক হলে মোট 10 দেওয়া (30)

90

50

16)



අර්ධ වෘත්තාකාර තහඩුවක ස්කන්ධ කේන්ද්‍රය $G=(\bar{x},\bar{y})$ යැයි ගනිමු. (5)

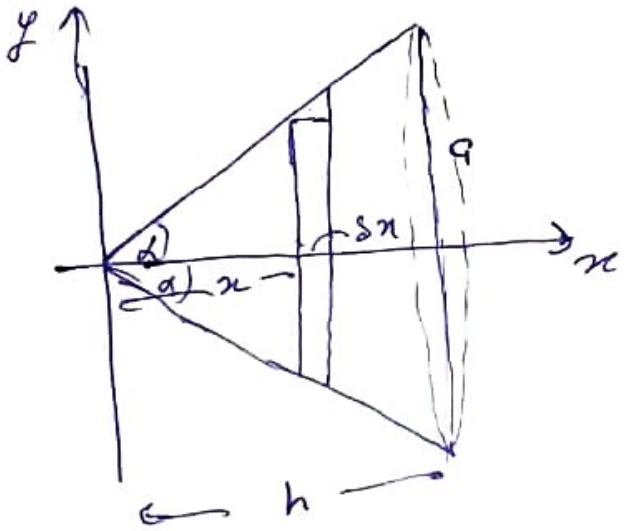
සමමිතියෙන් $\bar{y}=0$ වේ. (5)

$dm = \frac{1}{2}\cdot a\cdot a\sin\theta\,\rho$ (5)

$x = \frac{2a}{3}\cos\theta$ (5)

$$\bar{x} = \frac{\int x\,dm}{\int dm} = \frac{\int_{-\pi/2}^{\pi/2} \frac{2a}{3}\cos\theta\cdot\frac{1}{2}a^2\rho\,d\theta}{\int_{-\pi/2}^{\pi/2}\frac{1}{2}a^2\rho\,d\theta} = \frac{\frac{2a}{3}\int_{-\pi/2}^{\pi/2}\cos\theta\,d\theta}{\int_{-\pi/2}^{\pi/2}1\,d\theta} = \frac{\frac{2a}{3}[\sin\theta]_{-\pi/2}^{\pi/2}}{[\theta]_{-\pi/2}^{\pi/2}}$$ (5) (5)

$$= \frac{2a(1+1)}{3[\pi/2+\pi/2]} = \frac{4a}{3\pi}$$ (5) (30)



එරියේ ස්කන්ධ කේන්ද්‍රය $G(\bar{x},\bar{y})$ යැයි ගනිමු. (5)

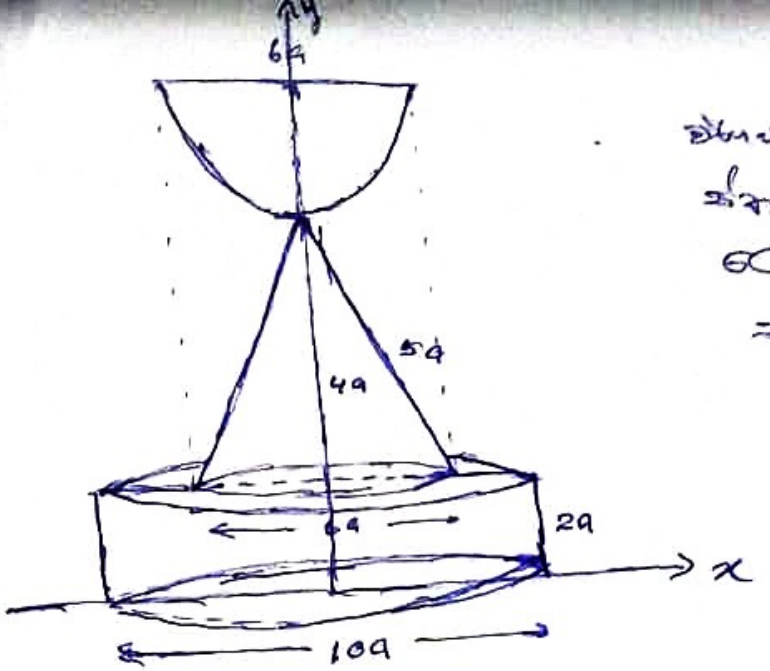
සමමිතියෙන් $\bar{y}=0$

$dm = 2\pi\cdot x\tan\alpha\cdot\sec\alpha\,\delta x\,\rho$ (5)

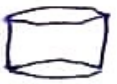
$x = x$ (5)

$$\bar{x} = \frac{\int x\,dm}{\int dm} = \frac{\int_0^h x\cdot 2\pi x\tan\alpha\sec\alpha\,\rho\,dx}{\int_0^h 2\pi x\tan\alpha\sec\alpha\,\rho\,dx} = \frac{\int_0^h x^2\,dx}{\int_0^h x\,dx}$$ (5)

$$= \frac{\left[x^3/3\right]_0^h}{\left[x^2/2\right]_0^h} = \frac{2}{3}\cdot\frac{h^3-0}{h^2-0} = \frac{2h}{3}$$ (5) (30)



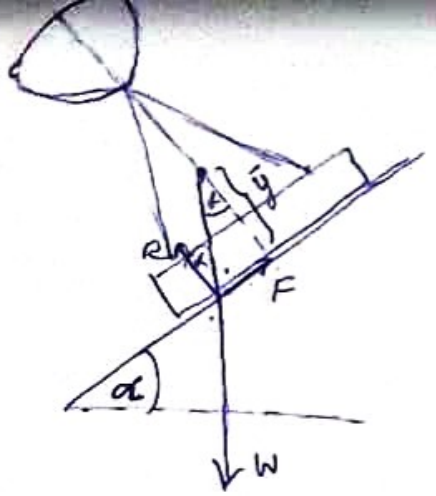
සමජාත ඝනත්වය ρ ?
ස්කන්ධ කේන්ද්‍රය $G(\bar{x}, \bar{y})$?
රේඛාව වටා
සමමිතියෙන් $\bar{x} = 0$ ය. (5)

හැඩය	ස්කන්ධය	$\bar{y}$
	$2\pi \cdot 5a \cdot 2a\rho = 20\pi a^2\rho$ (5)	a (5)
	$\pi (5a)^2 \rho = 25\pi a^2\rho$ (5)	$2a$ (5)
	$\pi \cdot 3a \cdot 5a\rho = 15\pi a^2\rho$ (5)	$2a + \frac{1}{3} \cdot 4a = \frac{10a}{3}$ (5)
	$\frac{1}{2} \cdot \pi \cdot (3a)^2\rho = \frac{9}{2}\pi a^2\rho$ (5)	$6a + 3a - \frac{4 \cdot 3a}{3\pi} = 9a - \frac{4a}{\pi}$ (5)
	$\frac{12a}{2}\pi a^2\rho$ (5)	$\bar{y}$

$$\frac{12a}{2}\pi a^2\rho \cdot \bar{y} = 20\pi a^2\rho \cdot a + 25\pi a^2\rho \cdot 2a + 15\pi a^2\rho \cdot \frac{10a}{3} + \frac{9}{2}\pi a^2\rho \cdot \left(9a - \frac{4a}{\pi}\right)$$ (10)

$$\frac{12a}{2}\bar{y} = 20a + 50a + 50a + \frac{81}{2}a - \frac{18a}{\pi}$$ (5)

$$\frac{12a}{2}\bar{y} = \frac{321a}{2} - \frac{18a}{\pi} \qquad \bar{y} = \frac{(321\pi - 36)a}{12a\pi}$$ (5) (10)



ඉදිරියට වෙලිලොග්
සැලසීමට නම්

$\bar{y} \cdot \tan\alpha \leq 59$ (5)

$(321\pi - 36)\tan\alpha \leq 645\pi$ වැඩි.
(5)

පිටිපස්ස පෙත්තේ සැලසීමට නම්

$\alpha \leq \lambda$ (5)

$\tan\alpha \leq \tan\lambda$

$\tan\alpha \leq \mu$ (5)

20

150

(17) (a)

(i)

B - 5
W - 3
R - 2

P

B - 4
W - 2
R - 3

Q

P පෙට්ටියෙන් රතු බෝලයක් ගැනීම R_1 නම්

$P(R_1) = \frac{2}{10} = \frac{1}{5}$ (5)

Q පෙට්ටියේ රතු බෝලයක් ගැනීම R_2 නම්

$P(R_2/R_1) = \frac{4}{10} = \frac{2}{5}$ (10)

$P(R_2/R_1) = \frac{P(R_2 \cap R_1)}{P(R_1)}$ ට යොදා (10)

බෝල දෙකම රතු වීම $P(R_1 \cap R_2) = \frac{1}{5} \times \frac{2}{5} = \frac{2}{25}$ (5) (30)

(ii) තුන්වන වතාවට රතු බෝලයක් ලැබීම R_3

$P(R_3/(R_1 \cap R_2)) = \frac{2}{10} = \frac{1}{5}$ (10)

බෝල තුනම දිය යුතු වීම. $P(R_1 \cap R_2 \cap R_3) = P(R_1) \cdot P(R_2/R_1) \cdot P(R_3$ (10)

25 $= \frac{1}{5} \times \frac{2}{5} \times \frac{1}{5} = \frac{2}{125}$ (5)

ඔබේ දත්ත සඳහා වේ.

$P(B_1 \cap B_2 \cap B_3) = \frac{5}{10} \cdot \frac{5}{10} \cdot \frac{5}{10} = \frac{1}{8}$ (10) (15)

b)

ලකුණු පරාසය	f_i	x_i	$f_i x_i$	$f_i x_i^2$
0 - 2	$2p$	1	$2p$	4
2 - 4	q	3	$3q$	36
4 - 6	$39/2$	5	$\frac{15q}{2}$	90
6 - 8	$2p$	7	$14p$	28
8 - 10	p	9	$9p$	18
	$5p + \frac{5q}{2}$ (5)		$25p + \frac{21q}{2}$	920 (5)

$5p + \frac{5q}{2} = 40$

$2p + q = 16$ — (1) (5)

$\frac{25p + \frac{21q}{2}}{40} = 6.4$ (10)

$50p + 21q = 352$ — (2)

(1) ෴ (2) ඇ

$50p + 21(16 - 2p) = 352$ (5)

$8p = 16$

$p = 2$ (5)

$q = 12$ (5)

සම්මත අපගමනය $= \sqrt{\frac{920}{40} - (4.4)^2}$ (5) (10)

$= \sqrt{3.64}$ (5)

$= 1.91$

මාතය $= L + \left(\frac{\Delta_1}{\Delta_1 + \Delta_2}\right) c$

$= 4 + \left(\frac{6}{6+14}\right) \times 2$ (5)

$= 4.6$ (5)

$u = \frac{t - 10}{2}$

$t = 2u + 10$

$\bar{t} = 2\bar{u} + 10$ (5)

සාමාන්‍යය $= 2 \times 4.4 + 10$

$= 18.8$ (5)

සම්මත අපගමනය $= 2\sqrt{3.64}$

$= 3.82$ (5)

සාමාන්‍ය මාතය $= 2 \times 4.6 + 10$

$= 19.2$ (5)

(85) (150)

පරාසය $= 4 - 6$